The impact of AI and digital platforms on the information ecosystem*

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Abstract

We develop a tractable model to study how AI and digital platforms impact the information ecosystem. News producers — who create truthful or untruthful content that becomes a public good or bad — earn revenue from consumer visits through ads and data collection. Consumers search for information and differ in their ability to distinguish truthful from untruthful information and reliable or unreliable sources of information. AI and digital platforms influence the ecosystem through four main channels: improving the efficiency in processing and transmission of information, endangering the producer business model by reducing visits, changing the relative cost of misinformation, and altering the ability of consumers to screen information from disinformation. Even though these new technologies improve the efficiency of processing and transmission, in the absence of adequate regulation (e.g. concerning accountability, content moderation, and intellectual property protection) the quality of the information ecosystem may decline, both because the equilibrium quantity of truthful information declines and the share of misinformation increases; and polarization may intensify. While some of these problems are already evident with digital platforms, AI may have distinctively different, and overall more adverse, impacts.

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1 Introduction

AI has been heralded as opening up new frontiers in the accumulation of knowledge, as problems that would have taken years to solve—or were essentially insoluble—have been answered in short order. AI, especially transformative AI, has the potential to significantly increase the pace of innovation, not only processing information more efficiently and rapidly, but even asking and answering new questions.

But for a wide range of areas, AI could potentially have large negative effects on the information ecosystem. In areas of the social sciences and even in some areas of the sciences, such as evolutionary biology, the world is ever changing in ways that are hard to predict, at least at any level of AI currently or likely to be available. In these areas, it is imperative to constantly add information about the current state of the world.

Information, though, is a public good, in the sense defined by Samuelson (Arrow (1962), Stiglitz (1975, 1986, 1999, 2021)). Even with strong intellectual property laws, there are knowledge spillovers, and this is as true of the kind of information that we think of as "news" as for other forms of information and knowledge. Those who read an informative newspaper article, based on expensive investigative research, relay that information to those they talk to, and these individuals thus obtain such information (if only part of it) for free. In a sense, all producers of information contribute, in some measure or another, to the pool of knowledge which is available. Others take out from this pool, and neither those who use the pool of knowledge (Stiglitz (2014)). nor those who contribute to it pay or receive compensation commensurate with marginal values, and accordingly there is no presumption of optimality in the production, transmission and usage of information. Indeed, the argument we have just given suggests that there will *typically* be an undersupply of information, unless there is public intervention.[1]

[1]In our complex decentralized interdependent and interrelated society/economy, information production and acquisition is widely dispersed, with virtually everyone in our economy engaged in the process in one way or the other. Inevitably there is some duplicative research. Because there are real costs of transmitting information and acquiring information, both from others and about what information others are gathering, in some instances, duplicative production of information may be efficient, and this is especially so when the output of research is not fully accurate (as is often the case). Further, much information acquisition is associated with rent seeking, for instance returns one obtains simply by having information earlier than others, or expenditures in innovation the profits from which originates mainly by acquiring some part of the (possibly monopoly) rents of others. In these cases, there may in fact be excessive expenditures on information. There is also a large literature looking at expenditures on information acquisition from this perspective. See Alchian and Demsetz (1972), Stiglitz (1975, 1989), Aghion and Howitt (1992).

There is a further problem: one has to ascertain the quality of information, and not only may there not be incentives for honesty (an essential idea within the screening/signaling literature), there can be incentives for dishonesty, unless curbed, for instance, by fraud laws.[2] Just as there is an undersupply of truthful information and an oversupply of distortionary information, there is an undersupply of efforts to "correct" mis and disinformation, for that too is a public good.

AI, digital platforms, and the deterioration of the information ecosystem

Even before the advent of AI, there was a concern that the digital platforms (search engines and social media) might lead to a deterioration in the quality of the overall information ecosystem, even if all information were truthful (i.e. in the absence of mis and disinformation).

The underlying idea of our paper is simple: our economy provided a peculiar, but workable, solution to the public-good problem associated with the production of news. Newspapers and magazines produced information that attracted readers, and readers attracted advertising.[3] The hope was that by providing high quality and timely news, an outlet would attract more readers, which would attract more advertisers.[4] The uncomfortable marriage between advertising and the production and dissemination of news information continued, until the arrival of the platforms, which in short order were able to garner for themselves "eyeballs," partially by appropriating information gathered by the legacy media.

The acquisition of "eye-balls" would have, on its own, reduced incentives for legacy media to produce information. And since the social media can and do acquire eye-balls without producing news, the reduced production of new information means that, even if the digital platforms improve the efficiency of the transmission of information, it may, under quite general conditions, result in a worse information ecosystem, one where individuals and firms actually have worse information. Just as in Grossman-Stiglitz (1976, 1980), where a more

[2]Until the advent of social media, information economics spent little time discussing the problem of mis and disinformation or the role of fraud laws. It was simply assumed that the information that individuals told was true—they told the truth, nothing but the truth, but not necessarily the whole truth. An exception is Greenwald and Stiglitz (1992).

[3]The business models typically combined subscriptions with advertising. In the model presented here, we do not deal with subscriptions. There is a broad consensus on the limitations of the subscription business model, but a discussion of this would take us beyond this paper.

[4]That hope was partially dashed by Rupert Murdoch, who first showed that more readers could be attracted by entertainment that by informative and timely news coverage; and even more so by Fox, which demonstrated that becoming part of an identity—the right wing cause—was more profitable than adherence to truth and traditional journalistic standards.

informationally efficient financial market reduces incentives to gather information, so too here, with the net result that there may be a deterioration in the information ecosystem.

Digital platforms like Google not only divert attention from the legacy media, but steal information from them, information which enhances traffic to them and is accordingly an important contributor to their market value. The resulting decrease in returns to the production of news leads to a diminution in the supply of information .[5]

AI

AI puts these perverse incentives on steroids. While AI has the potential to lower information processing and dissemination costs, it undermines the incentives for private producers to acquire and process accurate, timely, and reliable content, as AI firms take information from those who have traditionally been engaged in these activities, such as the legacy media, and combine it with that produced by others. At least, in the case of search engines and social media, there was typically attribution of the source of information, which the platforms claimed (with little evidence) drove more traffic to the legacy media, and thus they got some benefit, even if it did not entail a "fair sharing" of the benefits of the information that the legacy media had produced. But with AI, there may be no clarity about the source of the information, and the synthesis of multiple sources risks reducing the demand for seeing any particular source.[6] Thus, the likelihood that traffic will be driven to the legacy media will be greatly reduced. If AI firms are allowed to appropriate without compensation the information produced, say, by the legacy media, they will obviously not have adequate incentives produce such information. In that case, in spite of the improvement in technology, again there could be a deterioration in the quality of the information ecosystem.

AI may also worsen the problem of the quality of information—again leading to a deterioration in the information ecosystem. There is a risk of flooding the information ecosystem with lower-quality, synthetic, or misleading content, effectively polluting it. The potential adverse consequences are already evident from social media; AI may exacerbate these—again like adding steroids to a problem that we have not yet learned how to manage. There may be a "war," between the ability to detect misleading content and the ability to create such

[5]As we discuss briefly below, the digital platforms claim that they drive traffic to the legacy media, but the evidence is that the "business" (or in this case, eye-ball) stealing effect dominates.

[6]Matters may be even worse: AI sometimes attributes to a legacy media things that were not in the media, and which undermine the credibility of the legacy media. The absence of accountability means that the incentives of AI to curb such activities which undermine trust in the legacy media is limited.

content in ways that deflect AI's ability to detect. If the latter effect dominates, there will be a deterioration of the overall quality of the information ecosystem. And because removing pollution (e.g. through fact checking) is itself a public good, there will be (without public intervention) insufficient expenditures on "clean up," reinforcing the conclusion that, without public intervention, there is a risk of a worsened information ecosystem.

This paper is organized as follows. Section 2 develops a model of the information ecosystem. Section 3 examines the effects of AI and digital platforms in an environment where all information is truthful. Section 4 extends the analysis to an environment in which there is also mis/disinformation. Section 5 concludes. We provide an Appendix with all proofs and derivations.

2 A model of the information ecosystem

This section develops a tractable model of producers and consumers of information. We use it to study how digital platforms and the rise of AI is reshaping the information ecosystem.

We broadly define producers as any individual or organization that meets two conditions. The first one is that they create truthful or untruthful content that contributes to the stock of information or misinformation, thereby becoming either a public good or a public bad. There are economic incentives to generate untruthful content: producing truthful information is expensive and, if some consumers cannot distinguish between truth and lies, serving this segment with low-cost untruthful information can be profit-maximizing. There are also ideological and strategic incentives: untruthful content can promote certain political or social agendas or discredit competing ones. These non-monetary benefits can be incorporated into a profit function via their monetary equivalent. The second condition is that producers' business models rely on consumer visits to their physical or digital locations. These visits generate revenue through advertisements, subscriptions, or data collection. Traditional producers include newspapers, broadcasting media, and specialized journals, as well as internet websites, educational platforms, and others.

Let $Q^T(t)$ and $Q^L(t)$ be the total amount (stocks) of truthful and untruthful information in the ecosystem at period t. These can be interpreted as the truthful and untruthful information that is in society's "ether". There is a continuum of $n \in [0,1]$ ex-ante identical producers that at time t produce new truthful and untruthful information, $I^T(n,t)$ and $I^L(n,t)$. With the ever evolving economy/society, the value of information accumulated in

the past becomes less relevant. For simplicity, we assume that both types of information have the same depreciation rate δ. We can therefore write the dynamics of the stocks of information as follows:

$$\frac{dQ^T(t)}{dt} = I^T(t) - \delta Q^T(t) \tag{1}$$

$$\frac{dQ^L(t)}{dt} = I^L(t) - \delta Q^L(t) \tag{2}$$

where $I^T(t) \equiv \int_0^1 I^T(n,t)dn$ and $I^L(t) \equiv \int_0^1 I^L(n,t)dn$. Implicitly we are assuming that producers create distinct information. Hence there is no redundant information.

We broadly define consumers as individuals or organizations that allocate attention to searching for and using information. Consider a unit mass of consumers. A fraction ω of them use a perfect screening technology at zero cost and can distinguish between the two types of information. We refer to these consumers as informed. The rest of the consumers, which we label uninformed, have no screening technology and cannot distinguish between both types of information. At each time t, each informed and uninformed consumer decides how much time ("minutes") to spend searching for new information. Let $M^I(t)$ and $M^U(t)$ be the minute functions of the representative informed and uninformed consumer, respectively. Then, we assume that:

$$M^I(t) = v^I I^T(t)^\sigma \tag{3}$$

$$M^U(t) = v^U(I^T(t) + I^L(t))^\sigma \tag{4}$$

where $0 < \sigma < 1$ and $v^I = v^I(Q^T(t), Q^L(t), \gamma)$ and $v^U = v^U(Q^T(t), Q^L(t), \gamma)$ are smooth functions that measure the value of new information. At this point, we only assume that these values might be a function of the stocks of truthful and untruthful information and the efficiency of the information ecosystem measured by the parameter γ (which can be thought of as a vector, each element of which describes one aspect of informational efficiency, e.g. processing, transmitting...). The functions $v^I(\cdot)$ and $v^U(\cdot)$ will play a crucial role in the analysis, and we shall say much more about them later. The minutes function of the informed consumers is increasing and concave in $I^T(t)$, but it does not depend on untruthful information $I^L(t)$. Having a perfect screening technology at their disposal allows informed consumers to disregard lies. The minutes function of the uninformed consumers, however, is increasing and concave on $I^T(t) + I^L(t)$. This is a natural assumption since these consumers cannot distinguish between truths and lies.

How are these minutes distributed across producers? Let $a^I(n,t)$ and $a^U(n,t)$ be the share

of minutes visiting producers that the representative informed and uninformed consumers spend on producer n. Then, we assume that:

$$a^I(n,t) = \frac{I^T(n,t)}{I^T(t)} \tag{5}$$

$$a^U(n,t) = \frac{I^T(n,t) + I^L(n,t)}{I^T(t) + I^L(t)} \tag{6}$$

In the case of the informed consumers, the share of minutes depends on the size of producer n's flow of truthful information relative to that of other producers. In the case of uninformed consumers, this share depends on the flow of total information relative to that of other producers.

Consumers do not pay for their access to new information. But advertisers pay information producers to post advertisements, knowing that consumers will be exposed to them when searching/processing new information, and this will affect their purchases. Let $1-\lambda$ be the share of the time used to search/process new information in which consumers are directly visiting producers. Assume that the income generated by visits is directly proportional to the minutes spent in visits. Therefore, the revenue of producer n is given by the visits by informed consumers, $(1-\lambda)\,\omega a^I\,(n,t)\,M^I\,(t)$; plus the visits by uninformed consumers, $(1-\lambda)\,(1-\omega)\,a^U\,(n,t)\,M^U\,(t)$. This means that we can write the revenue function of producer n as follows:

$$R(n,t) = (1-\lambda)\left[\omega v^I I^T(t)^{\sigma-1} I^T(n,t) + (1-\omega) v^U \left(I^T(t)+I^L(t)\right)^{\sigma-1}\left(I^T(n,t)+I^L(n,t)\right)\right] \tag{7}$$

Interestingly, the marginal effects on revenue of both types of information are positive and independent of producer n's choices. The marginal effects on revenue of both types of information depends on the choices of other producers: $I^T(n',t)$ and $I^L(n',t)$ for $n' \neq n$. Since $\sigma < 1$, the marginal revenue of both types of information is decreasing on the information produced by other producers. Thus, on the marginal revenue side, producer choices are strategic substitutes: as the flow of information of other producers grows, the incentives to produce information declines.[7]

[7]It would be interesting to explore network effects and other forces that can make producer actions strategic complements. We leave this for future research.

Lies are cheaper to produce than the truth. In particular, we assume that:

$$C\left(n,t\right)=\frac{c}{\varepsilon}\left[I^{T}\left(n,t\right)+\theta I^{L}\left(n,t\right)\right]^{\varepsilon} \tag{8}$$

where $\varepsilon > 1$, $0 < \theta < 1$ and $c = c(Q^T(t), Q^L(t), \gamma)$ is a smooth function that measures the cost of producing new information. At this point, we only assume that it might depend on the stocks of truthful and untruthful information and the efficiency of the information ecosystem. We shall say much more about this function later. The parameter θ, measures the cost of producing untruthful information relative to truthful information. Since $0 < \theta < 1$, lies are always cheaper to produce than the truth. As $\theta \to 1$,lies become arbitrarily as expensive as the truth. As $\theta \to 0$, lies become arbitrarily cheap. The cost of producing new information is increasing and convex in both flows of information, and it is not affected by the choices of other producers. The latter means that, on the cost side, producer actions are neither substitutes nor complements from a strategic viewpoint.[8]

Summing up, producers maximize the net present value of profits by choosing how much truthful and untruthful information to produce, $I^T(n,t)$ and $I^L(n,t)$. We have made two assumptions that simplify the analysis dramatically. First, future profits of producers do not depend on the flow of information that they create today, $I^T(n,t)$ and $I^L(n,t)$.[9] Second, producers are atomistic and they take as given the aggregate stocks of information, $Q^T(t)$ and $Q^L(t)$. Jointly, these assumptions imply that individual producer choices at time t have no effects on their future profits and, as a result, their dynamic maximization problem breaks down into a sequence of independent static problems. Thus, the flow of information created in period t is the outcome of a simple static producer game.

What types of Nash equilibria arise in this producer game? Let $P(t)$, be the share of untruthful information created in period t, that is, $P(t) \equiv \dfrac{I^L(t)}{I^T(t)+I^L(t)}$. This share can be interpreted as a measure of how polarizing new information is.[10] It turns out that the information ecosystem will either induce a truthful equilibrium with $P(t) = 0$, or a truth-lies

[8] In a richer model, an increase in the flow of information by other producers raises the prices of inputs (including labor) and, as a result, the costs of producer n. Thus, we would have that producer actions are also strategic substitutes on the cost side.

[9] This would not be the case, for instance, if previously produced information by the producer is absorbed perfectly, while that produced by others is not. Alternatively, it would also not be the case if producers had reputation costs. Then, each producer in making its decisions about the flow of new information would take into account effects at later dates.

[10] If $P(t) = 0$, the flow is not polarizing because all consumers receive the same information. If $P(t) = 1$, the flow's polarizing effect is maximized as informed and uninformed consumers receive totally different information at time t.

equilibrium with $P(t) > 0$. We now examine each regime separately.

3 Truthful equilibrium

We start by analyzing the truthful equilibrium, which serves as a benchmark on how AI and digital platforms would affect the information ecosystem in a world without misinformation.[11]

Proposition 1 (Truthful equilibrium) Suppose $\frac{\omega v^I}{(1-\omega)\, v^U} \frac{\theta}{1-\theta} > 1$. Then the *unique* Nash equilibrium is such that $P(t) = 0$, and:

$$I^T(t) = \left((1-\lambda) \frac{\omega v^I + (1-\omega)\, v^U}{c} \right)^{\frac{1}{\varepsilon - \sigma}}$$

$$I^L(t) = 0$$

We attain a truthful equilibrium when: informed consumer demand for information is high (high ωv^I), uninformed consumer demand for information is low (low $(1-\omega)\, v^U$) and/or lies are not that cheap relative to truths (high θ). In such an environment, all producers will want to solely produce truthful information. The flow of new information $I^T(t)$ is high when: many consumers obtain their information directly from producers (low λ), the value of information is high (high $\omega v^I + (1-\omega)\, v^U$) and the cost of information is low (low c).

If the information ecosystem starts with a positive stock of lies, these lies depreciate over time and we reach a steady state with $Q^L(t) = 0$. Thus, it makes sense to simplify the analysis by assuming that information ecosystem already starts with $Q^L(t) = 0$. Hence, in the remainder of this section, whenever we say "information" without making any distinction, we are referring to "truthful information". It also makes sense that, in an environment in which there is only truthful information, the value of information is the same for informed and uninformed consumers. Thus, in the remainder of this section, we assume that $v^I = v^U = v$.

With these simplifications, we can now write the dynamics of the stock of information as follows:

$$\frac{dQ^T(t)}{dt} = \left((1-\lambda) \frac{v\left(Q^T(t), \gamma\right)}{c\left(Q^T(t), \gamma\right)} \right)^{\frac{1}{\varepsilon - \sigma}} - \delta Q^T(t) \tag{9}$$

where now we write the functions describing the value and cost of new information explicitly

[11] The Appendix contains the proofs of all propositions.

as functions of the stock of information, $Q^T(t)$, and the efficiency of the system, γ. Up to now, we have not made assumptions about these functions because these were not needed for our previous results. But now we are forced to make assumptions about them, because the dynamics of the system crucially depend on the ratio of value to cost of information.

The first assumption we make is that $\lim_{Q^T(t)\to 0} \frac{v\left(Q^T(t),\gamma\right)}{c\left(Q^T(t),\gamma\right)} = 0$. Probably, both the value and the cost of information grow without bound as the stock of information goes to zero. However, we assume that the cost of information grows faster. One cannot simply produce information without any knowledge. This assumption ensures that the information ecosystem always has a steady state with zero information. We will refer to this steady state as an informational collapse.

The second assumption we make is that $\lim_{Q^T(t)\to \infty} \frac{v\left(Q^T(t),\gamma\right)}{c\left(Q^T(t),\gamma\right)} = 0$. Probably, both the value and the cost of information shrink to zero as the stock of information goes to infinity. However, we assume that the value of information shrinks faster. One does not need more additional information when one's knowledge is unbounded. This assumption ensures that the stock of information does not grow without a bound.

The number of steady states and their location depends on the behavior of the ratio of value to cost of information. Our assumptions ensure that this ratio starts at zero when $Q^T(t) = 0$ and eventually returns to zero when $Q^T(t) = \infty$. What happens in the middle depends on the relative growth in the value and cost of information as $Q^T(t)$ grows. We assume that initially $\frac{v_Q}{v} > \frac{c_Q}{c}$ and the ratio increases. The value of information rises fast relative to its cost because, if the stock of information is low, additions to this stock raise the marginal value of new information (Radner and Stiglitz (1984)) and lowers marginal costs by improving the information acquisition technology. At some point the growth in this ratio starts to decline and eventually reverses $\frac{v_Q}{v} < \frac{c_Q}{c}$. The cost of information now rises fast relative to its value because there are diminishing returns to information and there are less "low-hanging fruits" available for producers to find.

To sum up, our assumptions ensure that the ratio of value to costs exhibits an inverse-U shape starting at zero when the stock of information goes to zero, and returning to zero as the stock of information goes to infinity. Our final assumption is that there exists a value Q such that:

$$\left((1-\lambda)\frac{v(Q,\gamma)}{c(Q,\gamma)}\right)^{\frac{1}{\varepsilon-\sigma}} > \delta Q \tag{10}$$

This additional assumption ensures that there is always a steady state besides the informational collapse. Moreover, this steady state is stable. We refer to Condition (10) as the " no informational collapse" condition. If the ratio of value to cost of information grows slowly when $Q^T(t) = 0$ (at a rate lower than $\varepsilon - \sigma$), there are an odd number of steady states, and the informational collapse is a stable equilibrium. This is the case we focus from now on (to illustrate we focus on the case of three steady states).

Figure 1 shows the dynamics of the information ecosystem.[12] If the initial stock of information is high, the information ecosystem converges to the highest steady state (from now on referred to as the equilibrium and denoted as Q^{T*}). If the initial stock of information is low, the ecosystem experiences an informational collapse. The model shows that there is path dependence, that is, even temporary aberrations in the information ecosystem (a sufficiently large drop/increase in $Q^T(t)$) can have permanent consequences.

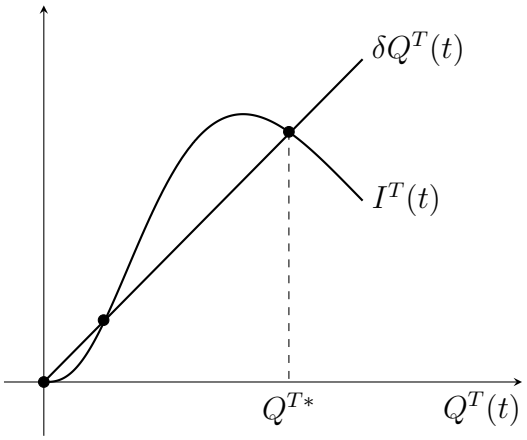


Figure 1: Equilibrium level of Q^{T*}.

An important point is that there is no presumption that the the steady state stock of information is socially optimal. We have not explicitly modeled the utility or welfare of consumers, so it is admittedly difficult to talk about welfare here. But we still want to make a couple of observations. First, it would be inaccurate to measure welfare simply as the total stock of information in society, $Q^T(t)$, given that we would not be taking into account the efficiency of the information ecosystem. Second, it would be more precise to measure welfare as some function $q(t) = q\left(Q^T(t), \gamma\right)$ which could be interpreted as the personal information set of the representative consumer. That is, the information upon which an individual can easily draw from.

[12]We calibrate equation (9) as follows: $\varepsilon = 1.5$, $\sigma = 0.5$, $\delta = 0.75$, $\lambda = 0.2$, $\gamma = 1$, $\frac{v(Q^T(t),\gamma)}{c(Q^T(t),\gamma)} = \frac{v(\gamma Q^T(t))}{c(\gamma Q^T(t))} = Q^T(t)^3 e^{-0.6Q^T(t)}$.

Our enquiry here, however, is: how will AI affect the information ecosystem.AI improves the ways in which we acquire, process, and transmit information produced by others. This can be modeled as an increase in γ. At the same time, if consumers spend more of their time searching/processing new information through AI intermediaries, producers of information will obtain less direct visits, endangering their business model. This can be modeled as an increase in λ.[13] We proceed to study each of these effects separately.[14]

To determine the effects of an improvement in efficiency (increase in γ), we need to make assumptions about the effects of γ on the ratio of the value to cost of information. Here, we have two opposing forces. On one hand, an increase in γ reduces the value of new information. If information is transmitted faster (more efficiently) throughout society, the value of obtaining new information before others is lower (Alchian and Demsetz (1972)). This is analogous to how (it is alleged that) weaker intellectual property rights weaken incentives to innovate. On the other hand, an increase in γ reduces the cost of new information. It is reasonable to assume that higher efficiency in managing information lowers production costs. Thus, the effect of γ on the ratio of value to cost could go either way. Naturally, an increase in γ could lead to greater information production and an overall improvement of the information ecosystem. But it could also lead to a worsening of the information ecosystem if information production falls. It is hard to tell which force will predominate in this setting.

Figure 2 illustrates this point with an example in which the force that predominates depends

[13]For purposes of most of this section, digital platforms (traditional information aggregators) have similar qualitative consequences as that of AI, although quantitatively these will differ. AI is likely to increase γ by a larger magnitude than digital platforms as it operates across a far broader set of disciplines and draws on a more diverse range of informational inputs in the process of generating and disseminating information. AI is also likely to increase λ by a greater magnitude than digital platforms since they offer specific and detailed information and obscure attribution more thoroughly. Although the overall effect is evident - many information producers have shut down or downsized in recent years - this effect varies across types of information and producers (Lyu et al (2025)) and can depend on the relative strength of two opposing forces (as found in Jeon and Nasr (2016)). There is a substitution effect, whereby information aggregators divert traffic away from original news sources, and an expansion effect, whereby these aggregators enhance overall demand for information, potentially increasing exposure and visits to original producers (as found in Calzada and Gil (2020) and Athey et al (2021)).

[14]We are simply considering the impact of AI as a technological shock. Although we will not go down this path, further insights can be gained by adding AI firms as players who choose γ and λ to maximize discounted profits. In such an extension, the nature of competition among AI firms would be an important determinant of the effects of AI on the information ecosystem. For instance, a monopolist would strategically decide how much consumer attention/information to steal from producers, taking into account that too much stealing eliminates the incentives to produce information in the future. But competitive AI firms might not take this into account and lead to an informational collapse. We leave for further research the study of the optimal market structure of AI firms.

on $Q^T(t)$. In particular, we assume that $v = v\left(\gamma Q^T(t)\right)$ and $c = c\left(\gamma Q^T(t)\right)$.[15] Hence, an increase in γ shifts the curve $I^T(t)$ upwards for small $Q^T(t)$ but downwards for large $Q^T(t)$. Interestingly, this case leads to a reduction in the steady state stock of information.[16]

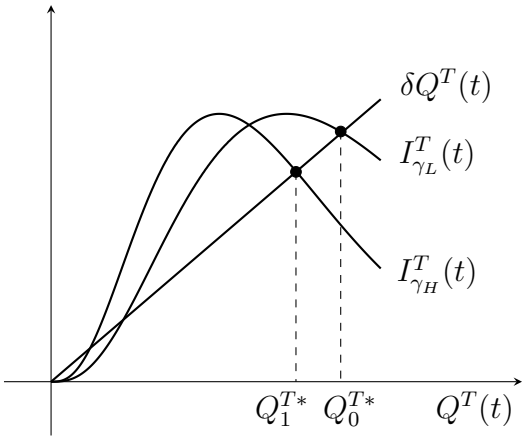


Figure 2: An increase in γ can lower Q^{T*}.

Does this mean that welfare declines as a result of AI? As discussed earlier, we do not have a proper theory of welfare. But let us assume, nonetheless, that $q(t) = \gamma Q^T(t)$. In this case, the effect AI on welfare is ambiguous. On one hand, γ increases. On the other hand, $Q^T(t)$ declines. A simple way to think about this result is that the total stock of information in society, $Q^T(t)$, is a " pie" and γ is the share of the pie that society has access to. An increase in γ has the immediate effect of increasing the share of the pie. But it then slowly reduces the size of the pie as the economy transitions to the new steady state. Whether ex-post knowledge is greater or lower than ex-ante is therefore unclear. Figure 3 illustrates the case where the fall in the size of the pie predominates and welfare drops (the opposite is, of course, possible too). Point A is the ex-ante equilibrium, associated with a low level of γ. When γ increases, we immediately jump to point B (the share of the " stock of information"pie" that gets translated into " meaningful knowledge" increases). Everyone praises the transformative role of the new technology. However, as $Q^T(t)$ falls and we move towards point C, societal welfare declines.

It is much easier to determine the effects of a deterioration of the business model (increase in λ). An increase in λ unambiguously reduces the incentives to produce new information

[15] We set $\gamma_L = 1$ and $\gamma_H = 1.4$. All other parameters are calibrated as in Figure 1.

[16] This dynamic mirrors the logic of the Grossman-Stiglitz paradox (1980): if markets (or AI-intermediaries) were perfectly informative (fully informationally efficient markets, in the traditional sense (see, e.g. Fama (1970)), then no agent would have an incentive to acquire or produce costly information. Markets would be fully efficient in transmitting the information that exists within the information ecosystem, but the only information within the system would be that which could be obtained costlessly -with appropriate normalization, we can think of as a zero information system - and therefore a zero knowledge ecosystem.

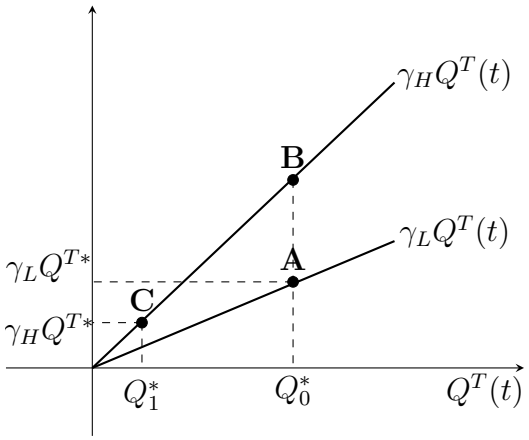


Figure 3: An increase in γ can decrease γQ^{T*}.

and the stock of information declines. Figure 4 illustrates this.[17] It also follows that societal welfare declines unambiguously.

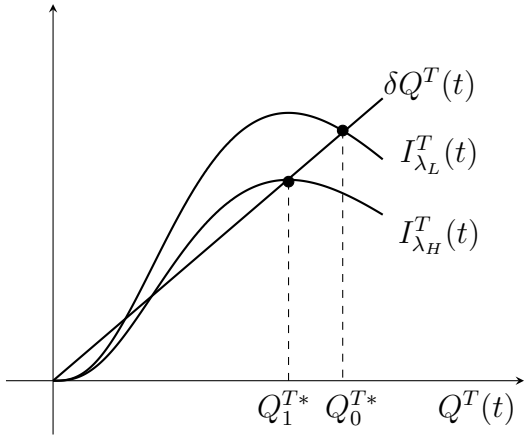


Figure 4: An increase in λ lowers Q^{T*}.

Finally, we note that, by increasing γ and λ, AI might lead to the violation of Condition (10), posing an existential threat to the information ecosystem. This risk seems extreme, but it should not be overlooked. At the current state of AI, hallucinations and inaccuracies serve as a natural brake on user substitution away from primary sources. Because users cannot fully rely on AI outputs, they continue to engage with information producers preserving the incentives for information production. However, as AI intermediaries become increasingly accurate and contextually fluent, with the ability to automatically check and verify the original sources to which human actors refer, the need to consult original sources diminishes. In the limit, if AI becomes perfectly reliable-or reliable enough and all information consumption is mediated by such systems, incentives to produce new information collapse. No one invests

[17] We set $\lambda_L = 0.2$ and $\lambda_H = 0.4$. All other parameters are calibrated as in Figure 1.

in producing accurate information when their work is instantly absorbed and intermediated by an AI that captures all downstream attention and value.[18]

What is at play in this seemingly perverse outcome are two conceptually distinct but empirically deeply interrelated aspects of AI and digital platforms - efficiency in transmission and efficiency in production/analyses of data. Much of the profits associated with the value of information derives from having information earlier than others; and in any case, if one can obtain information costlessly, why bother paying for it? AI has made it easier to obtain information, as well as easier to process it. The latter effect can be thought of lowering the cost of producing information, and, normally, one would have thought that lowering the cost of producing a " commodity" would result in greater production. But here, what matters is what fraction of the value of what is produced is appropriated by the firm producing it, and if that simultaneously is diminished, the net effect is ambiguous.

4 Truth-lies equilibrium

In this section we study the presence of mis/disinformation. We start with the following proposition:

Proposition 2 (Truth-lies equilibrium) Suppose $\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)} \leq 1$. Then the *unique* producer Nash Equilibrium is such that $P(t) = 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}}$, and:

$$I^T(t) = (1 - P(t))\left[(1-\lambda)\frac{\omega v^I (1-P(t))^{\sigma-1} + (1-\omega)v^U}{c(1-P(t)(1-\theta))^{\varepsilon-1}}\right]^{\frac{1}{\varepsilon-\sigma}}$$

$$I^L(t) = P(t)\left[(1-\lambda)\frac{\omega v^I (1-P(t))^{\sigma-1} + (1-\omega)v^U}{c(1-P(t)(1-\theta))^{\varepsilon-1}}\right]^{\frac{1}{\varepsilon-\sigma}}$$

The equilibrium is unique and we can uniquely pin down $P(t)$. If the degree of polarization in the information ecosystem, $P(t)$, is high enough, all producers prefer to only produce

[18]Much the same applies to the deeper problem of information aggregation and processing. While the platforms champion their role in information transmission, AI does that as well as acquiring and transmitting information produced by others. Grossman and Stiglitz (1976) showed that (futures) markets, on their own, do not do a good job in information aggregation, contrary to the assertions of Hayek (1944) and others. Forecasting accuracy can be increased when such information is combined with other information, but if that kind of analysis is costly, and if the fruits of that kind of analysis can be obtained at a low enough cost, then there will be diminished incentives to acquire the additional information and/or use such additional information in combination with the future price information to make better forecasts. Again, the amount of usable information within society is diminished.

truthful information. The reason is that truthful information is scarce and its value (in terms of minutes) is high. Hence $P(t)$ falls as a result. The opposite occurs if $P(t)$ is low enough. In this case, untruthful information is relatively scarce and all producers prefer to only produce untruthful information thereby increasing $P(t)$. These stabilizing dynamics leads the information ecosystem towards a unique $P(t)$ and we use it to pin down the flows of truthful and untruthful information.[19]

The flows of new information $I^T(t)$ and $I^L(t)$ are high when: many consumers obtain their information directly from producers (low λ), the value of information is high (high $\omega v^I (1 - P(t))^{\sigma-1} + (1-\omega) v^U$) and the cost of information is low (low $c[1 - P(t)(1-\theta)]^{\varepsilon-1}$). Relative to the previous model, we note three differences. The first one is that the value of information as perceived by consumers is lower, as informed consumers disregard lies. The second one is that the cost of information is lower because lies are cheaper. The third one is that a fraction of the new informational flows consist of lies.

Now, the dynamics of the information ecosystem can be obtained by substituting the expressions in Proposition 2 into the laws of motion in Equations (1) and (2). This is a complicated dynamical system, and a full analysis of it is not possible in such a short paper. But we can derive most of the relevant insights using a simple case. Assume that $v^I = v^U = v$, and let v and c be only a function of $Q^T(t)$ and γ, but not a function of $Q^L(t)$. Admittedly, our main justification for these assumptions is that they provide a tractable benchmark. But one could also justify them by arguing that lies are short-lived in the sense that, even though uninformed consumers cannot recognize lies on impact, they are able to do so without too much delay. In this case, uninformed consumers cannot distinguish between flows of truthful and untruthful information, but they can distinguish between stocks of truthful and untruthful information.

Under these assumptions, we have that:

$$P(t) = P \equiv 1 - \left(\frac{\omega}{1-\omega} \frac{\theta}{1-\theta} \right)^{\frac{1}{1-\sigma}} \tag{11}$$

[19] We cannot pin down individual producer flows $I^T(n,t)$ and $I^L(n,t)$, because in equilibrium producers are indifferent between producing truths or lies. Thus, the model is not inconsistent with producers specializing in different types of information ex-post even though they are identical ex-ante. For more details, see the Appendix.

$$\frac{dQ^T(t)}{dt} = (1-P)\left((1-\lambda)\frac{v\left(Q^T(t),\gamma\right)\left[\omega(1-P)^{\sigma-1}+1-\omega\right]}{c\left(Q^T(t),\gamma\right)\left[1-P(1-\theta)\right]^{\varepsilon-1}}\right)^{\frac{1}{\varepsilon-\sigma}} - \delta Q^T(t) \quad (12)$$

$$\frac{dQ^L(t)}{dt} = P\left((1-\lambda)\frac{v\left(Q^T(t),\gamma\right)\left[\omega(1-P)^{\sigma-1}+1-\omega\right]}{c\left(Q^T(t),\gamma\right)\left[1-P(1-\theta)\right]^{\varepsilon-1}}\right)^{\frac{1}{\varepsilon-\sigma}} - \delta Q^L(t) \quad (13)$$

This benchmark case is tractable for two reasons. The first one is that the share of lies in the new flows of information is constant over time $P(t) = P$. Thus, in any non-zero steady state, the share of lies in the information ecosystem converges to P, that is, $\frac{Q^L(t)}{Q^T(t)+Q^L(t)} \to P$. This means that, if we know the evolution of the stock of truthful information, we also know the evolution of the stock of lies. The second reason is because the evolution of the stock of truthful information is independent of the stock of lies in the system, that is, the stock of lies does not appear in Equation (12). This means that we can study the evolution of the stock of truthful information using a simple one-dimensional dynamical system.

The properties of this system depend again on the assumptions we make about the ratio of the value to the cost of information. We adopt the assumptions of the previous section, except that we now re-write Condition (10) by saying that there exists a value Q such that:

$$(1-P)\left((1-\lambda)\frac{v(Q,\gamma)\left[\omega(1-P)^{\sigma-1}+1-\omega\right]}{c(Q,\gamma)\left[1-P(1-\theta)\right]^{\varepsilon-1}}\right)^{\frac{1}{\varepsilon-\sigma}} > \delta Q \quad (14)$$

If this condition holds, there are non-zero steady states for the stock of truthful information, and the dynamics of $Q^T(t)$ are qualitatively similar to those shown in Figure 1. If this condition fails, there is only one steady state which is the informational collapse. We saw in the previous section that an increase in γ and/or λ could lead the ecosystem to an informational collapse (steady state with $I^T(t) = 0$). An interesting novelty here is that a reduction in ω and/or θ can also generate an informational collapse as P drops.

So what is new here about the effects of AI and digital platforms? As discussed in the previous section, these technologies improve efficiency (raise γ) and deteriorate the business model of producers (raise λ). All the effects discussed in the previous section apply also here. The presence of mis/disinformation in the ecosystem does not affect this part of the analysis. But the presence of mis/disinformation creates two additional channels through which AI and digital platforms might affect the information ecosystem: the ability of consumers to detect lies (ω) and the relative cost of producing lies (θ). These are key determinants of polarization and the amount of mis/disinformation in the system. We focus on these new

channels next.

AI has an ambiguous effect on the proportion of informed/uninformed consumers (ω). On the one hand, AI can be used by producers to make untruthful information harder to detect. On the other hand, AI can also be used by consumers to improve detection of untruthful information. We refer to these conflicting effects of AI on ω as the "drone war effect". Which force predominates? Although this is an open question, there are reasons to believe that the the first force dominates. It is undeniable that AI is helping producers create untruthful information (creation of malicious bots, propagation of "fake news", targeted and personalized news feed algorithms...). However, the extent to which AI is currently helping consumers detect untruthful information is unclear. AI-intermediaries can hallucinate, and more importantly, when users search for information they are not constantly verifying everything they consume with AI. So, we presume that the effect of AI on ω is likely negative. This leads to an increase in polarization and a reduction in the steady state stock of truthful information.

The effect of AI on relative cost of producing lies (θ), however, is more convincingly unambiguous: AI reduces the cost of producing untruthful information relative to the cost of producing truthful information, effectively making it very cheap to produce lies. This also leads to an increase in polarization and a reduction in the steady state stock of truthful information. As we have just discussed, this could even lead to an informational collapse. There is mounting evidence (AI-generated "news" sites, social media clickbait images, "AI slop"...) that unless producers are held accountable for producing untruthful information, we will be heading in this direction.

Digital platforms also incentivize the production of mis/disinformation and increase polarization. But the channels are different: digital platforms do not affect ω and θ directly. Despite this, they might generate effects that could be interpreted along similar lines. Although not modeled here, both AI and digital platforms reduce producer accountability by obscuring attribution. Hence, digital platforms do indirectly reduce the relative cost of lies (but certainly not as much as AI). Suppose also that consumers are especially engaged by extreme events or information that enrages them ("engagement through enragement"). This can incentivize producers to create this type of information, even if untruthful, to satisfy the demand from digital platforms. Also, digital platforms such as social media target consumers individually and give different information to different consumer types, increasing polarization. This is not the case of AI-intermediaries who, for the moment, generate synthesis and a more neutral narrative giving each consumer similar information, reducing polarization.

5 Conclusions

This paper is a first attempt to formalize the analysis of the consequences of digital platforms and AI on the information ecosystem. We have questioned the nirvana promised by the champions of these new technologies, if left to their own devices: competition in this arena does not necessarily lead to the well-being of society. We have provided a variety of reasons that the quality of the information ecosystem may deteriorate—even as these innovations increase the ability to process information and decrease the costs of disseminating information.

Policy responses

The design of appropriate intellectual property, accountability, competition and regulatory frameworks will be critical in mitigating the adverse effects on the information ecosystem we've described. Our legal frameworks clearly need to adapt to the challenges posed by these new technologies. For instance, in the absence of accountability, there is little incentive for digital platforms not to circulate mis and disinformation, and if such mis and disinformation garners more eyeballs, there are even incentives for expanding the reach of such information. The willingness of AI firms to share their profits with those who produce the information they rely on may be affected by the competitive structure in AI itself, and by the terms of intellectual property legislation. Current frameworks were obviously created before these challenges presented by AI and the digital platforms were on the scene. Critical constructs like fair use were not designed to address whether such use of others' intellectual property would increase or decrease the quality of the information ecosystem in the presence of AI or the digital platforms, and courts that have naively extended the reach of such constructs may be imposing real harms on our society. A full analysis would, however, take us beyond the scope of this paper.

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Appendix

This Appendix proves Proposition 1 and Proposition 2.

Profit maximization by producer n implies that:

$$(1-\lambda)\left[\omega v^I I^T(t)^{\sigma-1} + (1-\omega)\, v^U \left[I^T(t) + I^L(t)\right]^{\sigma-1}\right] \leq c\left[I^T(n,t) + \theta I^L(n,t)\right]^{\varepsilon-1} \quad (15)$$

$$(1-\lambda)(1-\omega)\, v^U \left[I^T(t) + I^L(t)\right]^{\sigma-1} \leq \theta c\left[I^T(n,t) + \theta I^L(n,t)\right]^{\varepsilon-1} \quad (16)$$

Conditions (15) and (16) state that profit-maximizing choices must be such that the marginal revenue of additional units of truthful or untruthful information cannot exceed their marginal cost. If Condition (15) holds as a strict inequality, then $I^T(n,t) = 0$. If Condition (16) holds as a strict inequality, then $I^L(n,t) = 0$.

Proposition 1

Suppose $\dfrac{\omega v^I}{(1-\omega)\, v^U}\dfrac{\theta}{1-\theta} > 1$. Then the *unique* Nash equilibrium is such that $P(t) = 0$, and:

$$I^T(t) = \left((1-\lambda)\,\frac{\omega v^I + (1-\omega)\, v^U}{c}\right)^{\frac{1}{\varepsilon-\sigma}}$$

$$I^L(t) = 0$$

Proof:

Suppose $\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)} > 1$.

First, we will establish that $I^L(n,t) = 0, \forall n, t$. Suppose, by contradiction, there is a producer n such that $I^L(n,t) > 0$. Then, since producer n is maximizing, it must be that condition (16) holds with equality. Then, substituting condition (16) into condition (15), and rearranging the expression in terms of $P(t)$, we find that:

$$\frac{\omega v^I \theta}{(1-\omega)v^U(1-\theta)} \leq (1-P(t))^{1-\sigma}$$

which is a contradiction since $P(t) \in [0,1]$ and $\sigma < 1$.

This implies that $I^T(n,t) > 0, \forall n,t$. This is because the costs are convex and start at 0 while producers have a positive and constant marginal revenue. Therefore, it will always generate some positive profit to produce some $I^T(n,t)$. Hence, condition (15) holds with equality. Thus, given our assumptions, the unique equilibrium is for all producers to follow the same strategy: $I^T(n,t) = I^T(t)$ and $I^L(n,t) = I^L(t)$ for all $n \in [0,1]$, and the producer game has a unique Nash equilibrium given by:

$$I^T(t) = \left[\frac{(1-\lambda)}{c}(\omega v^I + (1-\omega)v^U)\right]^{\frac{1}{\varepsilon-\sigma}} \tag{17}$$

$$I^L(t) = 0 \tag{18}$$

□

Proposition 2

Suppose $\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)} \leq 1$. Then the *unique* producer Nash Equilibrium is such that $P(t) = 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}}$, and:

$$I^T(t) = (1-P(t))\left[(1-\lambda)\frac{\omega v^I(1-P(t))^{\sigma-1} + (1-\omega)v^U}{c(1-P(t)(1-\theta))^{\varepsilon-1}}\right]^{\frac{1}{\varepsilon-\sigma}}$$

$$I^L(t) = P(t)\left[(1-\lambda)\frac{\omega v^I(1-P(t))^{\sigma-1} + (1-\omega)v^U}{c(1-P(t)(1-\theta))^{\varepsilon-1}}\right]^{\frac{1}{\varepsilon-\sigma}}$$

Proof:

Suppose $\frac{v^I}{v^U}\frac{\omega\theta}{(1-\omega)(1-\theta)} \leq 1$.

First, we will establish that $P(t) = 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}}$ by discarding the alternatives:

i) Suppose, by contradiction, that $P(t) > 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}}$. This implies that $I^L(n,t) = 0, \forall n,t$. Suppose not, and let $I^L(n,t) > 0$. Then, condition (16) holds with equality. Then,

substituting condition (16) into condition (15) we find that:

$$P(t) \leq 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}}$$

which is a contradiction. But if $I^L(n,t) = 0, \forall n, t$ we then have that $P(t) = 0$ which is a contradiction.

ii) Suppose, by contradiction, that $P(t) < 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}}$. This implies that $I^T(n,t) = 0, \forall n, t$. Suppose not, and let $I^T(n,t) > 0$. Then, condition (15) holds with equality. Then, substituting condition (15) into condition (16) we find that:

$$P(t) \geq 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}}$$

which is a contradiction. But if $I^T(n,t) = 0, \forall n, t$ we then have that $P(t) = 1$ which is a contradiction.

Let us now consider the case in which $P(t) = 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}}$. Since $0 < P(t) < 1$, we now have that both (15) and (16) hold with equality. Then, (15) implies that each producer n is producing a combination of $I^T(n,t) \geq 0$ or $I^L(n,t) \geq 0$ such that:

$$I^T(n,t) + \theta I^L(n,t) = \left(\frac{(1-\lambda)}{c}\left[\omega v^I I^T(t)^{\sigma-1} + (1-\omega)\, v^U (I^T(t) + I^L(t))^{\sigma-1}\right]\right)^{\frac{1}{\varepsilon-1}} \quad (19)$$

That is, if the aggregate degree of polarization is exactly as assumed, producer n is indifferent about producing truthful information or lies, provided that the total flows satisfy equation (19).

Since individual productions are not determined, there are many Nash equilibria for the producer game. Each of them correspond to a different distribution of flows among producers. But in all these equilibria, aggregate flows of information must be such that:

$$\frac{I^L(t)}{I^T(t) + I^L(t)} = 1 - \left[\frac{\omega v^I}{(1-\omega)v^U}\frac{\theta}{(1-\theta)}\right]^{\frac{1}{1-\sigma}} \quad (20)$$

$$I^T(n,t) + \theta I^L(n,t) = \left(\frac{(1-\lambda)}{c} \left[\omega v^I I^T(t)^{\sigma-1} + (1-\omega)\, v^U (I^T(t) + I^L(t))^{\sigma-1} \right] \right)^{\frac{1}{\varepsilon-1}} \quad (21)$$

We now use (20) and (21) to find to find $I^T(t) + I^L(t)$ and express $I^T(t)$ and $I^L(t)$ as fractions of the total sum. Thus, it follows that, if $\frac{v^I}{v^U} \frac{\omega\theta}{(1-\omega)(1-\theta)} \leq 1$, the equilibrium flows of truthful and untruthful information are given by:

$$I^T(t) = (1 - P(t)) \left[(1-\lambda) \frac{\omega v^I (1-P(t))^{\sigma-1} + (1-\omega) v^U}{c(1 - P(t)\,(1-\theta))^{\varepsilon-1}} \right]^{\frac{1}{\varepsilon-\sigma}}$$

$$I^L(t) = P(t) \left[(1-\lambda) \frac{\omega v^I (1-P(t))^{\sigma-1} + (1-\omega) v^U}{c(1 - P(t)\,(1-\theta))^{\varepsilon-1}} \right]^{\frac{1}{\varepsilon-\sigma}}$$

□